

**YOZMA SHAKLIDA BO'LADIGAN IMTIHONLAR UCHUN SAVOLLAR**

Biznesni boshqarish va tabiiy fanlar fakulteti  
“Matematika va informatika” ta’lim yo’nalishi 1-kurs talabalariga 2-semestr uchun «Algebra va sonlar nazariyas» fanidan  
yakuniy nazorat savollari

| Savolning tartib raqami | Savol matni   |  |  |
|-------------------------|---|--|--|
| 1.                      | Kompleks sonlar ustida amallar.   |  |  |
| 2.                      | Kompleks sonlarning geometrik ko‘rinishi  |  |  |
| 3.                      | Matrisa tushunchasi.  |  |  |
| 4.                      | 2- va 3-tartibli matrisa va determinantlar  |  |  |
| 5.                      | Matrisalar ustida chiziqli amallar  |  |  |
| 6.                      | Matritsalar rangi.  |  |  |
| 7.                      | Chiziqli tenglamalar sistemasi va uning yechimi tushunchasi.  |  |  |
| 8.                      | $\Delta = \begin{vmatrix} 12314 & 16536 & 20537 \\ 6157 & 8268 & 10268 \\ 513 & 689 & 126 \end{vmatrix}$ determinantni hisoblang.   |  |  |
| 9.                      | $\begin{cases} x_1 + x_2 + x_3 = 4, \\ x_1 + 2x_2 + 4x_3 = 4, \\ x_1 + 3x_2 + 9x_3 = 2 \end{cases}$ tenglamalar sistemasining yechimini Kramer formulalari yordamida topng.   |  |  |
| 10.                     | $\begin{cases} x_1 + 2x_2 + 3x_3 = 6, \\ 7x_2 - 8x_3 = -15, \\ -x_2 - 7x_3 = -8 \end{cases}$ tenglamalar sistemasining yechimini teskari matrisa yordamida toping.  |  |  |
| 11.                     | $\begin{cases} 4x + y = 5 \\ 3x - 2y = 12 \end{cases}$ . Ushbu tenglamalar sistemasini Kramer usuli(qoidasi) bilan yeching.   |  |  |
| 12.                     | $\begin{cases} 2x_1 + 4x_2 + x_3 = 4, \\ 3x_1 + 6x_2 + 2x_3 = 4, \\ 4x_1 - x_2 - 3x_3 = 1 \end{cases}$ tenglamalar sistemasini Kramer formulalari yordamida yeching.  |  |  |
| 13.                     | $\begin{cases} 3x_1 + 3x_2 + 4x_3 - 5x_4 = 9 \\ 5x_1 - 7x_2 + 8x_3 + 2x_4 = 18 \\ 4x_1 + 5x_2 - 7x_3 - 3x_4 = -5 \\ 7x_1 + 8x_2 + 3x_3 + 4x_4 = -2 \end{cases}$ .Ushbu tenglamalar sistemasini Kramer usuli(qoidasi) bilan yeching. |  |  |
| 14.                     | Ushbu tenglamalar sistemasining yechimini teskari matrisa yordamida toping  |  |  |

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|     | $\begin{cases} x_1 + 4x_2 - 5x_3 = 8, \\ 2x_1 + 3x_2 - 4x_3 = 9, \\ x_1 - 2x_2 - x_3 = 6 \end{cases}$   |
| 15. | Chiziqli tenglamalar sistemasining determinanti deb nimaga aytildi?   |
| 16. | Chiziqli tenglamalar sistemasi qachon yagona yechimga yega bo'ladi?   |
| 17. | Chiziqli tenglamalar sistemasi yagona yechimga yega bo'lsa, u qanday topiladi?  |
| 18. | Kramer formulalari nimadan iborat?  |
| 19. | Teskari matrisa qanday topiladi?  |
| 20. | Tenglamalar sistemasi matrisalar yordamida qanday yechiladi?  |
| 21. | $A = \begin{pmatrix} 1 & 0 & 2 & 3 \\ 4 & -3 & 1 & 0 \\ 2 & 5 & 3 & 1 \end{pmatrix}$ va $B = \begin{pmatrix} 2 & 7 \\ 0 & 2 \\ 5 & 4 \\ 6 & 0 \end{pmatrix}$ matrisalar berilgan. $A$ va $B$ matrisalarni ko'paytiring. |
| 22. | $\begin{vmatrix} 0 & 0 & 3 & 0 \\ -1 & 3 & 2 & 4 \\ -2 & 4 & 0 & 3 \\ 0 & 2 & 1 & 0 \end{vmatrix}$ determinantni hisoblang.   |
| 23. | $z_1 = 2 + 3i, z_2 = 5 + 4i. \frac{z_1}{z_2} = ?$   |
| 24. | Vandermond determinanti   |
| 25. | $D = \begin{vmatrix} 1+a & 1 & 1 & 1 \\ 1 & 1+b & 1 & 1 \\ 1 & 1 & 1+c & 1 \\ 1 & 1 & 1 & 1+d \end{vmatrix}$ determinantni hisoblang.   |
| 26. | Darajaga ko'taring: $(1+i)^{20}, (1-i)^{21}$ .  |
| 27. | Berilgan $z_1$ va $z_2$ kompleks sonlarning yig'indisi va ko'paytmasini toping:<br>$z_1 = 5+4i, z_2 = -2+3i$  |
| 28. | $\begin{vmatrix} 2 & 1 & 4 \\ 3 & 1 & 2 \\ 0 & 1 & 3 \end{vmatrix}$ determinantni hisoblang   |
| 29. | $\begin{pmatrix} 3 & 1 & 2 \\ 4 & 1 & 3 \\ 0 & 0 & 1 \end{pmatrix} \cdot \begin{pmatrix} 2 \\ 1 \\ 3 \end{pmatrix}$ ko'paytmani toping.   |
| 30. | $A = \begin{pmatrix} 3 & 1 \\ 0 & 2 \end{pmatrix}, B = \begin{pmatrix} 2 & 4 \\ 3 & 1 \end{pmatrix}$ matritsalar berilgan $A \cdot B$ ni toping.  |
| 31. | Hisoblang $\begin{vmatrix} 3 & 2 & 4 \\ 5 & 6 & 7 \\ -1 & -2 & -3 \end{vmatrix}.$   |
| 32. | Hisoblang $\begin{vmatrix} 2 & -1 & 4 \\ 3 & 0 & 4 \\ 2 & 5 & -1 \end{vmatrix}$   |

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| 33. | $A = \begin{pmatrix} 1 & 0 & 2 \\ 0 & -1 & 3 \\ 4 & 0 & 5 \end{pmatrix}$ va $B = \begin{pmatrix} 2 & 7 & 1 \\ 3 & 2 & -4 \\ 1 & -3 & 5 \end{pmatrix}$ matritsalar berilgan ABvaBA matritsalarni toping |
| 34. | Berilgan $z_1$ va $z_2$ kompleks sonlarning yig'indisi va ko'paytmasini toping:<br>$z_1 = -8 - 7i$ , $z_2 = -3i$ ;   |
| 35. | Berilgan $z_1$ va $z_2$ kompleks sonlarning yig'indisi va ko'paytmasini toping:<br>$z_1 = 5 + \sqrt{3}i$ , $z_2 = 5 - \sqrt{3}i$   |
| 36. | $z_2 - z_1$ ayirmani va $\frac{z_2}{z_1}$ bo'linmani toping:<br>$z_1 = 1 + 2i$ , $z_2 = 5$   |
| 37. | Hisoblang $\begin{vmatrix} 3 & -1 & -2 \\ -3 & 4 & 5 \\ 2 & -1 & 4 \end{vmatrix}$  |
| 38. | Hisoblang $\begin{vmatrix} 3 & -1 & -2 \\ -3 & 4 & 5 \\ 2 & -1 & 0 \end{vmatrix}$  |
| 39. | Hisoblang $\begin{vmatrix} 2 & -3 & 2 \\ 5 & -4 & -2 \\ -2 & -2 & -5 \end{vmatrix}$  |
| 40. | Hisoblang $\begin{vmatrix} 2 & -1 & 4 \\ 5 & -3 & -4 \\ -1 & -2 & -4 \end{vmatrix}$  |
| 41. | Hisoblang $\begin{vmatrix} 3 & -5 & -1 \\ 4 & 3 & 2 \\ 1 & 4 & 5 \end{vmatrix}$  |
| 42. | Hisoblang $\begin{vmatrix} 3 & 5 & -1 \\ 4 & -2 & -1 \\ 3 & 4 & 5 \end{vmatrix}$   |
| 43. | $z = -1 - i$ . Argz = ?  |
| 44. | Kompleks sonlarning darajasi   |
| 45. | Determinantning xossalari.   |
| 46. | Minor va algebraik to'ldiruvchilar.  |
| 47. | Matritsalarni ko'paytirish.  |
| 48. | Matritsalar ustida bajariladigan asosiy amallarning xossalari.   |
| 49. | Teskari matrisa.   |
| 50. | Chiziqli tenglamalar sisitemasi yechishning Gauss usuli  |
| 51. | $z_2 - z_1$ ayirmani va $\frac{z_2}{z_1}$ bo'linmani toping:<br>$z_1 = -1 + \sqrt{3}i$ , $z_2 = -\sqrt{2} + \sqrt{6}i$ ;   |

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| 52. | $z_2 - z_1$ ayirmani va $\frac{z_2}{z_1}$ bo'linmani toping:<br>$z_1 = a - \sqrt{b}i, \quad z_2 = a + \sqrt{b}i.$  |
| 53. | Hisoblang: $(4+i)(5+3i) - (3+i)(3-i)$  |
| 54. | Hisoblang: $(5+i)(4+3i) - (5+i)(5-i)$  |
| 55. | Hisoblang: $\frac{(5+i)(7-6i)}{3+i}$   |
| 56. | Hisoblang: $\frac{(5+i)(3+5i)}{2i}.$   |
| 57. | Hisoblang: $\frac{(1+3i)(8-i)}{(2+i)^2}$   |
| 58. | Hisoblang: $\frac{(2+i)(4+i)}{1+i}$  |
| 59. | Kompleks sonning haqiqiy qismini toping: $z = \frac{(1+2i)^3}{i} + i^{19}$   |
| 60. | Kompleks sonning haqiqiy qismini toping: $z = \frac{5+2i}{2-5i} - \frac{3-4i}{4+3i} + \frac{1}{i}$                 |
| 61. | Kompleks sonning mavhum qismini toping: $z = (2-i)^3(2+11i)$   |
| 62. | Kompleks sonning mavhum qismini toping: $z = \frac{2-3i}{1+4i} + i^6.$   |
| 63. | Tenglamalar sistemasini yeching:<br>$\begin{cases} iz_1 + (1+i)z_2 = 2+2i \\ 2iz_1 + (3+2i)z_2 = 5+3i \end{cases}$ |
| 64. | Tenglamalar sistemasini yeching:<br>$\begin{cases} (1-i)z_1 - 3z_2 = -i \\ 2z_1 - (3+3i)z_2 = 3-i \end{cases}$     |
| 65. | Tenglamalar sistemasini yeching:<br>$\begin{cases} 2z_1 - (2+i)z_2 = -i \\ (4-2i)z_1 - 5z_2 = -1-2i \end{cases}$   |
| 66. | Hisoblang:<br>$i^4 + i^{14} + i^{24} + i^{34} + i^{44}$  |
| 67. | Hisoblang:<br>$i + i^2 + i^3 + \dots + i^n, n > 4$   |
| 68. | Kompleks sonning n-darajali ildizlari  |
| 69. | Hisoblang:<br>$i \cdot i^2 \cdot i^3 \cdot i^4 \dots i^{50}$   |
| 70. | Tenglamani yeching: $x^2 - (2+i)x + (-1+7i) = 0$   |
| 71. | Tenglamani yeching: $x^2 - (3-2i)x + (5-5i) = 0;$  |
| 72. | Tenglamani yeching: $(2+i)x^2 - (5-i)x + (2-2i) = 0;$  |

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| 73. | Kompleks sonni trigonometrik shaklga keltiring: $1 + i\sqrt{3}$ ;  |
| 74. | Kompleks sonni trigonometrik shaklga keltiring: $1 + i\sqrt{3}$ g  |
| 75. | Kompleks sonni trigonometrik shaklga keltiring: $2 + \sqrt{3} + i$ ;   |
| 76. | Kompleks sonni trigonometrik shaklga keltiring: $1 + i\frac{\sqrt{3}}{3}$  |
| 77. | Kompleks sonlarni trigonometrik shaklga keltiring: $-\sqrt{3} - i$   |
| 78. | Chiziqli tenglamalar sestemasini matritsavyi usulda yeching $\begin{cases} -2x_1 + x_2 + x_3 = 1 \\ 3x_1 + 5x_2 - x_3 = -1 \\ x_1 + x_2 + 3x_3 = 3 \end{cases}$  |
| 79. | Chiziqli tenglamalar sestemasini Kramer qoidasi bilan yeching $\begin{cases} -2x_1 + x_2 + x_3 = 1 \\ 3x_1 + 5x_2 - x_3 = -1 \\ x_1 + x_2 + 3x_3 = 3 \end{cases}$  |
| 80. | $\begin{pmatrix} 1 & 2 & 3 \\ 1 & 2 & 5 \end{pmatrix}$ matritsaning rangi aniqlansin.  |
| 81. | $\begin{pmatrix} 1 & 2 & 3 \\ 1 & 2 & 5 \end{pmatrix}$ matritsaning barcha elementlari algebraik to'ldiruvchilari qiymatlari aniqlansin.   |
| 82. | Chiziqli tenglamalar sestemasini yeching matritsavyi usulda $\begin{cases} x_1 + 2x_2 - x_3 = 5 \\ 2x_1 + x_2 - 4x_3 = 9 \\ 5x_1 - 2x_2 + 4x_3 = 4 \end{cases}$  |
| 83. | Kompleks sonni algebraik shaklga keltiring:<br>$i(\cos \frac{5}{3}\pi + i \sin \frac{5}{3}\pi)$<br>$\cos \frac{\pi}{6} + i \sin \frac{\pi}{6}$   |
| 84. | Chiziqli tenglamalar sestemasini Gauss usuli bilan yeching $\begin{cases} -2x_1 + x_2 + x_3 = 1 \\ 3x_1 + 5x_2 - x_3 = -1 \\ x_1 + x_2 + 3x_3 = 3 \end{cases}$   |
| 85. | Chiziqli tenglamalar sestemasini Gauss usuli bilan yeching $\begin{cases} -2x_1 + x_2 + x_3 = 1 \\ 3x_1 + 5x_2 - x_3 = -1 \\ x_1 + x_2 + 3x_3 = 3 \end{cases}$   |
| 86. | $A = \begin{pmatrix} 3 & 1 & -2 \\ 2 & -4 & 5 \end{pmatrix}, B = \begin{pmatrix} 2 & -1 \\ -1 & 3 \\ 4 & -5 \end{pmatrix}$ A · B va B · A ko'paytmalarni toping.   |
| 87. | $A = \begin{pmatrix} 1 & 0 & 2 \\ 0 & -1 & 3 \\ 4 & 0 & 5 \end{pmatrix}$ va $B = \begin{pmatrix} 2 & 7 & 1 \\ 3 & 2 & -4 \\ 1 & -3 & 5 \end{pmatrix}$ matritsalar berilgan. AB va BA matritsalarni toping. |
| 88. | Chiziqli tenglamalar sestemasini matritsavyi usulda yeching $\begin{cases} 2x_1 + 3x_2 + 4x_3 = 9 \\ 4x_2 + 4x_3 = 1 \\ 7x_1 - 5x_2 = -1 \end{cases}$  |
| 89. | $A = \begin{pmatrix} 1 & 2 & -1 \\ 3 & 0 & 2 \\ 4 & -2 & 5 \end{pmatrix}$ matritsaga teskari matritsani toping.  |

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| 90.  | Kompleks sonni trigonometrik shaklga keltiring:<br>$\frac{5(\cos 100^\circ + i \sin 100^\circ)i}{3(\cos 40^\circ - i \sin 40^\circ)};$                                      |
| 91.  | $A = \begin{pmatrix} 1 & 2 & 2 \\ 2 & 1 & -2 \\ 2 & -2 & 1 \end{pmatrix}$ matritsaga teskari matritsani toping.   |
| 92.  | Kompleks sonni trigonometrik shaklga keltiring: $\frac{\sin \frac{2}{5}\pi + i(1 - \cos \frac{2}{5}\pi)}{i - 1}.$   |
| 93.  | Hisoblang: $\left(\frac{1+i\sqrt{3}}{1-i}\right)^{20}$  |
| 94.  | Hisoblang: $\left(1 - \frac{\sqrt{3}-i}{2}\right)^{24}$   |
| 95.  | Laplas teoremasi.   |
| 96.  | Kroneker-Kapelli teoremasi.   |
| 97.  | Chiziqli tenglamalar sisitemasi yechishning Kramer qoidasi  |
| 98.  | Chiziqli tenglamalar sisitemasi yechishning matritsaviy usuli   |
| 99.  | $\begin{cases} 3x - y + z = 12 \\ x + 2y + 4z = 6 \\ 5x + y + 2z = 3 \end{cases}$ tenglamalar sestemasining birgalikda bo'lish bo'lmashagini tekshiring,                    |
| 100. | $A = \begin{pmatrix} 1 & 4 & -3 & 61 \\ 2 & 5 & 1 & -23 \\ 17 & -10 & 20 & 0 \end{pmatrix}$ matiritsani rangini toping  |
| 101. | $A = \begin{pmatrix} 2 & 1 & -2 & 3 \\ -3 & 0 & 1 & 1 \\ 5 & 1 & -3 & 2 \end{pmatrix}$ matritsaning rangini toping  |
| 102. | Hisoblang $\begin{vmatrix} 3 & -1 & 5 & 2 \\ 2 & 0 & 7 & 0 \\ -3 & 1 & 2 & 0 \\ 5 & -4 & 1 & 2 \end{vmatrix}.$  |
| 103. | Matritsalarning ko'paytmasi hisoblansin: $(-12 \quad 13) \begin{pmatrix} 13547 & 13647 \\ 28423 & 28523 \end{pmatrix} \begin{pmatrix} -1 \\ 1 \end{pmatrix} (-12 \quad 13)$ |
| 104. | $\begin{cases} 2x - 5y = 1 \\ ax - 5y = -2a - 5 \end{cases}$ sistemani Kramer qoidasi bo'yicha yeching.   |
| 105. | $\begin{cases} x - 2y = 1 - i \\ 2x - 4y = 2 - 2i \end{cases}$ sistemani Gauss usulida yeching.   |
| 106. | $\begin{cases} x + 4y = -10 \\ 3x - y = 9 \end{cases}$ sistemani matrisaviy usulida yeching   |

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| 107. | $\begin{cases} x_1 - x_2 + x_3 = 0 \\ 2x_1 + x_2 - x_3 = 0 \end{cases}$ sistemani fundamental yechimlar sistemasini toping. |
| 108. | $(1+i)^{10}$ ni hisoblang.  |
| 109. | $(1-i)^{10}$ ni hisoblang.  |
| 110. | $\alpha = 7 - 5i$ mavhum qismini toping.  |
| 111. | $\arg(\alpha \cdot \beta)$ nimaga teng.   |
| 112. | $(1+2i)(3+i) + (-3+i)(2-i)$ hisoblang.  |
| 113. | $i^{12}$ hisoblang.   |
| 114. | $\sqrt{2i}$ hisoblang.  |
| 115. | $-i$ kompleks sonni trigonometrik shaklini toping.  |
| 116. | $(2+i)(3-7i)$ amallarni bajaring  |
| 117. | $\sqrt{3-4i}$ hisoblang   |
| 118. | $(-3+i)(1-4i)$ hisoblang  |
| 119. | $(2+i)^3$ amallarni bajaring.   |
| 120. | Qo'shma kompleks sonlar. Xossalari.   |
| 121. | Algebraik va trigonometrik shakldagi kompleks sonlar orasida bog'lanish formulalari.  |
| 122. | Determinantni hisoblang<br>$\begin{vmatrix} -1 & 4 \\ -5 & 2 \end{vmatrix}$   |
| 123. | Determinantni hisoblang<br>$\begin{vmatrix} a+b & a-b \\ a-b & a+b \end{vmatrix};$  |
| 124. | Determinantni hisoblang<br>$\begin{vmatrix} 5 & 3 \\ 6 & 4 \end{vmatrix};$  |
| 125. | Determinantni hisoblang<br>$\begin{vmatrix} x+6 & 9 \\ 4 & x+6 \end{vmatrix}.$  |
| 126. | Determinantni hisoblang<br>$\begin{vmatrix} 1 & 2 & 3 \\ 4 & 5 & 6 \\ 7 & 8 & 9 \end{vmatrix};$                             |
| 127. | Determinantni hisoblang<br>$\begin{vmatrix} 1 & 1 & x \\ 1 & 1 & x^2 \\ x^2 & x & 1 \end{vmatrix}$                          |
| 128. | Determinantni hisoblang   |

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|      | $\begin{vmatrix} 2 & -1 & 1 & 0 \\ 0 & 1 & 2 & -1 \\ 3 & -1 & 2 & 3 \\ 3 & 1 & 5 & 1 \end{vmatrix};$                            |
| 129. | Determinantni hisoblang<br>$\begin{vmatrix} 2 & 3 & -3 & 4 \\ 2 & 1 & -1 & 2 \\ 6 & 2 & 1 & 0 \\ 2 & 3 & 0 & -5 \end{vmatrix};$ |
| 130. | Determinantni hisoblang<br>$\begin{vmatrix} 3 & -1 & 4 & 2 \\ 5 & 2 & 0 & 1 \\ 0 & 2 & 1 & -3 \\ 6 & -2 & 9 & 8 \end{vmatrix};$ |
| 131. | Tenglamani yeching<br>$\begin{vmatrix} 2x-1 & 3 \\ 3x-4 & 2 \end{vmatrix} = 0;$   |
| 132. | Tenglamani yeching<br>$\begin{vmatrix} 4 & 1-2x \\ 3 & 5+x \end{vmatrix} = 0$   |
| 133. | Tenglamani yeching<br>$\begin{vmatrix} \cos 8x & -\sin 5x \\ \sin 8x & \cos 5x \end{vmatrix} = 0;$                              |
| 134. | Tenglamani yeching<br>$\begin{vmatrix} \sin 4x & \cos 3x \\ -\cos 4x & \sin 3x \end{vmatrix} = 0$                               |
| 135. | Tenglamani yeching<br>$\begin{vmatrix} 3x & 6x-9 \\ 1 & x-2 \end{vmatrix} = 0;$   |
| 136. | Tenglamani yeching<br>$\begin{vmatrix} x+1 & 1 & 2 \\ 6 & x & 1 \\ x+4 & 2 & 0 \end{vmatrix} = 0$                               |
| 137. | Tenglamani yeching<br>$\begin{vmatrix} x & x+1 & x+2 \\ x+3 & x+4 & x+5 \\ x+6 & x+7 & x+8 \end{vmatrix} = 0$                   |
| 138. | Tenglamani yeching<br>$\begin{vmatrix} x & x+1 \\ -4 & x+1 \end{vmatrix} = 0$   |

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| 139. | Chiziqli tenglamalar sestemasini Kramer qoidasi bilan yeching<br>$\begin{cases} 3x - 4y = 1, \\ 2x - 7y = -8; \end{cases}$   |
| 140. | Chiziqli tenglamalar sestemasini Kramer qoidasi bilan yeching<br>$\begin{cases} 2ax - 3by = 0, \\ 3ax - 6by = ab; \end{cases}$   |
| 141. | Chiziqli tenglamalar sestemasini Kramer qoidasi bilan yeching<br>$\begin{cases} x - y = 3, \\ -2x + 2y = 1; \end{cases}$   |
| 142. | Chiziqli tenglamalar sestemasini Kramer qoidasi bilan yeching<br>$\begin{cases} 2x_1 + 4x_2 + x_3 = 4, \\ 3x_1 + 6x_2 + 2x_3 = 4, \\ 4x_1 - x_2 - 3x_3 = 1 \end{cases}$            |
| 143. | Chiziqli tenglamalar sestemasini Kramer qoidasi bilan yeching<br>$\begin{cases} 2x - y + 3z = 9, \\ 3x - 5y + z = -4, \\ 4x - 7y + z = 5; \end{cases}$                             |
| 144. | Chiziqli tenglamalar sestemasini Kramer qoidasi bilan yeching<br>$\begin{cases} x - y - 2z = 6, \\ 2x + 3y - 7z = 16, \\ 5x + 2y + z = 16; \end{cases}$                            |
| 145. | Chiziqli tenglamalar sestemasini Kramer qoidasi bilan yeching<br>$\begin{cases} 7x + 2y + 3z = 15, \\ 5x - 3y + 2z = 15, \\ 10x - 11y + 5z = 36; \end{cases}$                      |
| 146. | Chiziqli tenglamalar sestemasini Kramer qoidasi bilan yeching<br>$\begin{cases} 3x_1 + 2x_2 + x_3 = 5, \\ 2x_1 - x_2 + x_3 = 6, \\ x_1 + 5x_2 = -3; \end{cases}$                   |
| 147. | Chiziqli tenglamalar sestemasini Kramer qoidasi bilan yeching<br>$\begin{cases} x = 2y + 1, \\ y = \frac{x}{2} - 0,5. \end{cases}$   |
| 148. | Amallarni bajaring<br>$\begin{pmatrix} 2 & -3 \\ 4 & -6 \end{pmatrix} \cdot \begin{pmatrix} 9 & -6 \\ 6 & -4 \end{pmatrix}$  |
| 149. | Amallarni bajaring<br>$\begin{pmatrix} 4 & 3 \\ 7 & 5 \end{pmatrix} \cdot \begin{pmatrix} -28 & 93 \\ 38 & -126 \end{pmatrix} \cdot \begin{pmatrix} 7 & 3 \\ 2 & 1 \end{pmatrix};$ |
| 150. | Amallarni bajaring<br>$\begin{pmatrix} 1 & 1 & 2 \\ 1 & 3 & 1 \\ 4 & 1 & 1 \end{pmatrix}^2;$   |

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| 151. | Amallarni bajaring<br>$\begin{pmatrix} 1 & 2 & 1 & 0 \\ 0 & 2 & 1 & 1 \\ 1 & -2 & 2 & 1 \\ 2 & -1 & 2 & -1 \end{pmatrix} \cdot \begin{pmatrix} 1 \\ 2 \\ 1 \\ -1 \end{pmatrix}$ |
| 152. | Amallarni bajaring<br>$\begin{pmatrix} 1 & 2 & 3 \\ 3 & 1 & 2 \\ 1 & 3 & 2 \end{pmatrix} \cdot \begin{pmatrix} 1 \\ -2 \\ 3 \end{pmatrix}$                                      |
| 153. | Amallarni bajaring<br>$\begin{pmatrix} a_1 & b_1 & c_1 \\ a_2 & b_2 & c_2 \\ a_3 & b_3 & c_3 \end{pmatrix} \cdot \begin{pmatrix} x_1 \\ x_2 \\ x_3 \end{pmatrix};$              |
| 154. | Bir jinsli tenglamalar sistemasini yeching:<br>$\begin{cases} 4x_1 - x_2 + 3x_3 = 0, \\ 2x_1 + 3x_2 - 5x_3 = 0, \\ x_1 - 2x_2 + 4x_3 = 0. \end{cases}$                          |
| 155. | Bir jinsli tenglamalar sistemasini yeching:<br>$\begin{cases} 2x_1 - x_2 - 2x_3 = 0, \\ 3x_1 - 5x_2 + x_3 = 0, \\ x_1 - 4x_2 + 3x_3 = 0. \end{cases}$                           |
| 156. | Bir jinsli tenglamalar sistemasini yeching:<br>$\begin{cases} 3x_1 + x_2 - 2x_3 = 0, \\ x_1 + 2x_2 + x_3 = 0, \\ 4x_1 - x_2 + 3x_3 = 0; \end{cases}$                            |
| 157. | Bir jinsli tenglamalar sistemasini yeching:<br>$\begin{cases} 3x_1 + 5x_2 - x_3 = 0, \\ 2x_1 - 3x_2 + 3x_3 = 0, \\ x_1 + 8x_2 - 4x_3 = 0. \end{cases}$                          |
| 158. | Bir jinsli tenglamalar sistemasini yeching:<br>$\begin{cases} 5x_1 + 2x_2 - 3x_3 = 0; \\ 4x_1 - x_2 + 2x_3 = 0, \\ x_1 + 3x_2 + x_3 = 0; \end{cases}$                           |
| 159. | Bir jinsli tenglamalar sistemasini yeching:<br>$\begin{cases} 4x_1 - x_2 + 5x_3 = 0, \\ 2x_1 + 3x_2 - x_3 = 0, \\ x_1 - 2x_2 + 3x_3 = 0. \end{cases}$                           |
| 160. | Bir jinsli tenglamalar sistemasini yeching:<br>$\begin{cases} x_1 - 2x_2 - 2x_3 = 0, \\ 3x_1 + 4x_2 - 2x_3 = 0, \\ 2x_1 + x_2 - 2x_3 = 0. \end{cases}$                          |
| 161. | Berilgan tenglamalar sistemasini Gauss usuli bilan yeching:   |

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|      | $\begin{cases} 3x_1 + 2x_2 + x_3 = 5, \\ 2x_1 + 3x_2 + x_3 = 1, \\ 2x_1 + x_2 + 3x_3 = 11; \end{cases}$  |
| 162. | Berilgan tenglamalar sistemasini Gauss usuli bilan yeching:<br>$\begin{cases} 4x_1 - 3x_2 + 2x_3 = 9, \\ 2x_1 + 5x_2 - 3x_3 = 4, \\ 5x_1 + 6x_2 + 2x_3 = 18; \end{cases}$  |
| 163. | Berilgan tenglamalar sistemasini Gauss usuli bilan yeching:<br>$\begin{cases} 2x_1 - x_2 - x_3 = 4, \\ 3x_1 + 4x_2 - 2x_3 = 11, \\ 3x_1 - 2x_2 + 4x_3 = 11; \end{cases}$   |
| 164. | Berilgan tenglamalar sistemasini Gauss usuli bilan yeching:<br>$\begin{cases} 5x_1 - x_2 + 3x_3 = 2, \\ -x_1 + 3x_2 - 2x_3 = 1, \\ 4x_1 + 2x_2 + x_3 = 7. \end{cases}$     |
| 165. | Berilgan tenglamalar sistemasini Gauss usuli bilan yeching:<br>$\begin{cases} x_1 + x_2 + 3x_3 = -1, \\ 2x_1 - x_2 + 2x_3 = -4, \\ 4x_1 + x_2 + 4x_3 = -2; \end{cases}$    |
| 166. | Berilgan tenglamalar sistemasini Gauss usuli bilan yeching:<br>$\begin{cases} 3x_1 + x_2 - x_3 = 4, \\ x_1 - 2x_2 + 2x_3 = 1, \\ 4x_1 - x_2 + x_3 = 3. \end{cases}$        |
| 167. | Berilgan tenglamalar sistemasini Gauss usuli bilan yeching:<br>$\begin{cases} x_1 + 2x_2 + 4x_3 = 31, \\ 5x_1 + x_2 + 2x_3 = 20, \\ 3x_1 - x_2 + x_3 = 0; \end{cases}$     |
| 168. | Berilgan tenglamalar sistemasini Gauss usuli bilan yeching:<br>$\begin{cases} 2x_1 - 3x_2 + 2x_3 = -6, \\ 5x_1 + 8x_2 - x_3 = 0, \\ x_1 + 2x_2 + 3x_3 = 6; \end{cases}$    |
| 169. | Berilgan tenglamalar sistemasini matrisaviy usul bilan yeching:<br>$\begin{cases} 3x_1 + 5x_2 + x_3 = 2, \\ 5x_1 - 3x_2 + 3x_3 = 4, \\ 4x_1 + x_2 + 2x_3 = 8. \end{cases}$ |
| 170. | Berilgan tenglamalar sistemasini matrisaviy usul bilan yeching:<br>$\begin{cases} x_1 - x_2 - x_3 = 4, \\ x_1 + 3x_2 - 7x_3 = 3, \\ x_1 - 5x_2 + 5x_3 = 7. \end{cases}$    |
| 171. | Berilgan tenglamalar sistemasini matrisaviy usul bilan yeching:<br>$\begin{cases} 2x_1 + x_2 - 5x_3 = -1, \\ x_1 + x_2 - x_3 = -2, \\ 4x_1 - 3x_2 + x_3 = 13; \end{cases}$ |

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| 172. | Berilgan tenglamalar sistemasini matrisaviy usul bilan yeching:<br>$\begin{cases} 4x_1 + 3x_2 + 2x_3 = 2, \\ 2x_1 + 2x_2 - x_3 = 3, \\ 2x_1 + x_2 + 3x_3 = 5. \end{cases}$                                     |
| 173. | Berilgan tenglamalar sistemasini matrisaviy usul bilan yeching:<br>$\begin{cases} 6x_1 + 4x_2 - 7x_3 = 3, \\ 7x_1 + x_2 - 3x_3 = 2, \\ x_1 - 3x_2 + 4x_3 = 7. \end{cases}$                                     |
| 174. | Berilgan tenglamalar sistemasini matrisaviy usul bilan yeching:<br>$\begin{cases} 3x_1 - x_2 - x_3 = -3, \\ 2x_1 + 3x_2 - 2x_3 = 4, \\ x_1 - 4x_2 + x_3 = 8. \end{cases}$                                      |
| 175. | Berilgan tenglamalar sistemasini matrisaviy usul bilan yeching:<br>$\begin{cases} x_1 + 4x_2 - 3x_3 = -2, \\ 2x_1 + 5x_2 + x_3 = -1, \\ x_1 + 7x_2 - 10x_3 = -5; \end{cases}$                                  |
| 176. | Berilgan tenglamalar sistemasini matrisaviy usul bilan yeching:<br>$\begin{cases} 5x_1 + 6x_2 - 2x_3 = -9, \\ 2x_1 + 5x_2 - 3x_3 = -1, \\ 4x_1 - 3x_2 + 2x_3 = -15; \end{cases}$                               |
| 177. | Berilgan tenglamalar sistemasini matrisaviy usul bilan yeching:<br>$\begin{cases} 3x_1 - 2x_2 - 5x_3 = -14, \\ x_1 - 2x_2 + 3x_3 = 0, \\ 2x_1 + 3x_2 - 4x_3 = -10; \end{cases}$                                |
| 178. | Berilgan tenglamalar sistemasini Gauss usuli bilan yeching:<br>$\begin{cases} x_1 + 2x_2 - x_3 = 5, \\ 2x_1 + x_2 - 4x_3 = 9, \\ 5x_1 - 2x_2 + 4x_3 = 4; \end{cases}$  |
| 179. | Berilgan tenglamalar sistemasini Gauss usuli bilan yeching:<br>$\begin{cases} -2x_1 + x_2 + x_3 = 1, \\ 3x_1 + 5x_2 - x_3 = -1, \\ x_1 + x_2 + 3x_3 = 3; \end{cases}$  |
| 180. | Berilgan tenglamalar sistemasini Gauss usuli bilan yeching:<br>$\begin{cases} 2x_1 + x_3 + x_4 = 9, \\ 3x_2 - 2x_3 + 3x_4 = 12, \\ -2x_1 + x_2 - x_3 + x_4 = 1, \\ 5x_1 + 2x_2 - 3x_4 = -3. \end{cases}$       |
| 181. | Berilgan tenglamalar sistemasini Gauss usuli bilan yeching:<br>$\begin{cases} x_1 + 2x_2 - x_3 + 2x_4 = 4, \\ 2x_1 + 3x_2 + 4x_3 - x_4 = 8, \\ -5x_1 + x_2 - 3x_3 = -7, \\ x_2 + x_3 - 7x_4 = -5; \end{cases}$ |
| 182. | Quyidagi tenglamalar sistemasini yeching:  |

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|      | $\begin{cases} 2x_1 + 2x_2 - x_3 + x_4 = 4, \\ 4x_1 + 3x_2 - x_3 + 2x_4 = 6, \\ 8x_1 + 5x_2 - 3x_3 + 4x_4 = 12, \\ 3x_1 + 3x_2 - 2x_3 + 2x_4 = 6 \end{cases}$   |
| 183. | Quyidagi tenglamalar sistemasini yeching:<br>$\begin{cases} 3x_1 + 4x_2 + x_3 + 2x_4 + 3 = 0, \\ 3x_1 + 5x_2 + 3x_3 + 5x_4 + 6 = 0, \\ 6x_1 + 8x_2 + x_3 + 5x_4 + 8 = 0, \\ 3x_1 + 5x_2 + 3x_3 + 7x_4 + 8 = 0. \end{cases}$ |
| 184. | Quyidagi tenglamalar sistemasini yeching<br>$\begin{cases} x_1 + 2x_2 - x_3 = 3, \\ 3x_1 - x_2 + 4x_3 = 6, \\ 5x_1 + 5x_2 + 2x_3 = 8. \end{cases}$  |
| 185. | Quyidagi tenglamalar sistemasini yeching:<br>$\begin{cases} x_1 + 2x_2 - x_3 = 3, \\ 3x_1 - x_2 + 4x_3 = 6, \\ 5x_1 + 3x_2 + 2x_3 = 12. \end{cases}$  |
| 186. | Muavr formulasi bilan hisoblang: $(1+i)^{10}$   |
| 187. | Muavr formulasi bilan hisoblang: $(1-i\sqrt{3})^6$  |
| 188. | Muavr formulasi bilan hisoblang: $(-1+i)^5$   |
| 189. | Muavr formulasi bilan hisoblang: $(\sqrt{3}+i)^3$   |
| 190. | Muavr formulasi bilan hisoblang: $\sqrt[3]{-1}$   |
| 191. | Muavr formulasi bilan hisoblang: $\sqrt[3]{i}$  |
| 192. | Muavr formulasi bilan hisoblang: $\sqrt[6]{-1}$   |
| 193. | Muavr formulasi bilan hisoblang: $\sqrt[3]{-2+2i}$  |
| 194. | Amallarni bajaring: $(2+3i) \cdot (3-2i)$   |
| 195. | Amallarni bajaring: $(3-2i)^2$  |
| 196. | Amallarni bajaring: $(a+bi) \cdot (a-bi)$   |
| 197. | Amallarni bajaring: $(1+i)^3$   |
| 198. | Amallarni bajaring: $\frac{1+i}{1-i}$   |
| 199. | Amallarni bajaring: $\frac{2i}{1+i}$  |

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| 200. | Ushbu $A = \begin{pmatrix} 2 & 1 \\ 3 & -3 \\ 5 & 2 \end{pmatrix}$ va $B = \begin{pmatrix} 1 & -1 & 1 \\ 2 & 4 & 3 \end{pmatrix}$ matrisalarni ko'paytiring   |
| 201. | Ushbu $A = \begin{pmatrix} 1 & -1 & 1 \\ 2 & 1 & 0 \\ 5 & 7 & 1 \\ 1 & 4 & 3 \end{pmatrix}$ , $B = \begin{pmatrix} 5 & -1 & 2 & 1 & -1 \\ 2 & 2 & 0 & 1 & 1 \\ 1 & -1 & 5 & 4 & 4 \end{pmatrix}$ matrisalarni ko'paytiring. |
| 202. | Ushbu $A = \begin{pmatrix} 3 & 5 \\ 7 & -9 \end{pmatrix}$ matrisaga teskari matrisalarni toping.  |
| 203. | Ushbu $B = \begin{pmatrix} 1 & 2 & 1 \\ 4 & 3 & -2 \\ -5 & -4 & -1 \end{pmatrix}$ matrisaga teskari matrisalarni toping.  |
| 204. | Ushbu<br>$A = \begin{pmatrix} 1 & 1 & 1 \\ 1 & 2 & 4 \\ 1 & 3 & 9 \end{pmatrix}$ matrisaga teskari matrisani toping.  |
| 205. | Determinant birinchi ustun elementlari bo'yicha yoyib hisoblansin:<br>$\begin{vmatrix} 2 & 3 & 4 \\ 5 & -2 & 1 \\ 1 & 2 & 3 \end{vmatrix};$   |
| 206. | Determinantni birinchi ustun elementlari bo'yicha yoyib hisoblansin:<br>$\begin{vmatrix} a & 1 & a \\ -1 & a & 1 \\ a & -1 & a \end{vmatrix}$   |
| 207. | Determinantni birinchi ustun elementlari bo'yicha yoyib hisoblansin:<br>$\begin{vmatrix} 1 & 2 & 5 \\ 0 & 5 & 7 \\ 0 & -4 & 8 \end{vmatrix}.$   |
| 208. | Determinant nollar eng ko'p bo'lgan satr elementlari bo'yicha yoyib hisoblansin:<br>$\begin{vmatrix} 1 & b & 1 \\ 0 & b & 0 \\ b & 0 & -b \end{vmatrix}$  |
| 209. | Determinant nollar eng ko'p bo'lgan ustun elementlari bo'yicha yoyib hisoblansin:   |

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|      | $\begin{vmatrix} 1 & 2 & 5 \\ 0 & 5 & 7 \\ 0 & -4 & 8 \end{vmatrix}$  |
| 210. | Determinant nollar eng ko'p bo'lgan satr elementlari bo'yicha yoyib hisoblansin:<br>$\begin{vmatrix} 0 & 0 & 1 \\ 2 & 5 & 6 \\ 7 & 8 & 9 \end{vmatrix}.$                            |
| 211. | Ushbu determinantni tartibini pasaytirish usulidan foydalanib hisoblang:<br>$\begin{vmatrix} 1 & -4 & 0 & 3 \\ -4 & 3 & 2 & -3 \\ -2 & 3 & -1 & 4 \\ 3 & 2 & 5 & 0 \end{vmatrix}$   |
| 212. | Ushbu determinantni tartibini pasaytirish usulidan foydalanib hisoblang:<br>$\begin{vmatrix} 2 & -1 & 0 & 5 \\ -1 & -3 & 2 & -4 \\ 4 & 2 & -1 & 3 \\ 3 & 0 & -4 & -2 \end{vmatrix}$ |
| 213. | Ushbu determinantni tartibini pasaytirish usulidan foydalanib hisoblang:<br>$\begin{vmatrix} 3 & -1 & 0 & 3 \\ 5 & 1 & 4 & -7 \\ 5 & -1 & 0 & 2 \\ 1 & -8 & 5 & 3 \end{vmatrix}$    |
| 214. | Ushbu determinantni tartibini pasaytirish usulidan foydalanib hisoblang:<br>$\begin{vmatrix} 6 & -3 & 4 & 2 \\ -1 & 0 & 4 & 5 \\ 2 & 7 & 3 & 4 \\ 0 & -5 & -1 & 3 \end{vmatrix}.$   |
| 215. | 2-tartibli determinant  |
| 216. | 3-tartibli determinant  |
| 217. | Determinantlarning xossalari  |
| 218. | 4-tartibli determinant  |
| 219. | $n$ -tartibli determinantlar  |
| 220. | Matrisa tushunchasi   |
| 221. | Matrisaning o'lchovi  |
| 222. | Kvadrat matrisa   |

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| 223. | Maxsus va maxsusmas matrisalar  |
| 224. | Diagonal matrisa  |
| 225. | Birlik matrisa  |
| 226. | Transponirlangan matrisa  |
| 227. | Matrisalar yig'indisi   |
| 228. | Matrisalar qanday ko'paytiriladi?   |
| 229. | Hisoblang: $\frac{(-1+i\sqrt{3})^{15}}{(1-i)^{20}} + \frac{(-1-i\sqrt{3})^{15}}{(1+i)^{20}}$  |
| 230. | Birning 6-darajali ildizlarini toping   |
| 231. | Ko'phadlar va ular ustida amallar.  |
| 232. | $f(x) = 2x^4 + x^3 + x^2 - x - 3$ ko'phadni $g(x) = x^3 + 2x^2 - 1$ . ko'phadga bo'lganligi $q(x)$ bo'linma va $r(x)$ qoldiqni toping.      |
| 233. | $f(x) = 2x^4 + x^3 + x^2 + 6x + 4$ ko'phadni $g(x) = x^3 + 2x^2 + 6$ . ko'phadga bo'lganligi bo'linma $q(x)$ va qoldiq $r(x)$ ni toping.    |
| 234. | $f(x) = 2x^4 + x^3 + x^2 - x - 3$ va $g(x) = x^3 + 2x^2 - 1$ . ko'phadlarning EKUBini toping  |
| 235. | $x^4 - 4x^3 + 5x^2 + x - 1$ ko'phadni $x^2 - 2x - 3$ ko'phadga; bo'lishdan hosil bo'lgan $q(x)$ bo'linmani va $r(x)$ qoldiqni toping:       |
| 236. | $5x^4 - x^2 + 6$ ko'phadni $x^2 + 3x + 2$ ; ko'phadga bo'lishdan hosil bo'lgan $q(x)$ bo'linmani va $r(x)$ qoldiqni toping:                 |
| 237. | $2x^4 - 3x^3 + 4x^2 - 5x + 6$ Ha ko'phadni $x^2 - 3x + 1$ . ko'phadga bo'lishdan hosil bo'lgan $q(x)$ bo'linmani va $r(x)$ qoldiqni toping: |
| 238. | $x^5 + x^2 - x - 1$ ni ko'phadni $x^3 - 2x + 1$ ; ko'phadga bo'lishdan hosil bo'lgan $q(x)$ bo'linmani va $r(x)$ qoldiqni toping            |
| 239. | $2x^4 + x^2 + 2x$ ni ko'phadni $x^2 - 2$ . ko'phadga bo'lishdan hosil bo'lgan $q(x)$ bo'linmani va $r(x)$ qoldiqni toping                   |
| 240. | $f(x)$ ba $g(x)$ ko'phadlarning EKUBi va EKUK ini toping:<br>$f(x) = x^4 + x^3 - 3x^2 - 4x - 1$ , $g(x) = x^3 + x^2 - x - 1$ ;              |
| 241. | $f(x)$ ba $g(x)$ ko'phadlarning EKUBi va EKUK ini toping:<br>$f(x) = x^4 + 2x^3 + 2x + 2$ , $g(x) = x^3 + 3x + 2$ .                         |
| 242. | $f(x)$ ba $g(x)$ ko'phadlarning EKUBi va EKUK ini toping:<br>$f(x) = x^4 - 4x^3 + 1$ , $g(x) = x^3 - 3x^2 + 1$ ;                            |
| 243. | $f(x)$ ba $g(x)$ ko'phadlarning EKUBi va EKUK ini toping:<br>$f(x) = x^6 - 7x^4 + 8x^3 - 7x + 7$ , $g(x) = 3x^5 - 7x^3 + 3x^2 - 7$ ;        |

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| 244. | $f(x)$ va $g(x)$ ko'phadlarning EKUBi va EKUK ini toping:<br>$f(x) = x^5 + x^4 - x^3 - 2x - 1$ , $g(x) = 3x^4 + 2x^3 + x^2 + 2x - 2$ ;   |
| 245. | Yevklid algoritmidan foydalanib, $f(x)$ va $g(x)$ ko'phadlar uchun shunday $\varphi(x)$ va $\psi(x)$ , ko'phadlarni topingki, $(f(x), g(x)) = f(x)\varphi(x) + g(x)\psi(x)$ : tenglik o'rinli bo'lsin.<br>$f(x) = x^4 + 2x^3 - x^2 - 4x - 2$ , $g(x) = x^4 + x^3 - x^2 - 2x - 2$ ;       |
| 246. | Yevklid algoritmidan foydalanib, $f(x)$ va $g(x)$ ko'phadlar uchun shunday $\varphi(x)$ va $\psi(x)$ , ko'phadlarni topingki, $(f(x), g(x)) = f(x)\varphi(x) + g(x)\psi(x)$ : tenglik o'rinli bo'lsin.<br>$f(x) = x^5 + 3x^4 + x^3 + x^2 + 3x + 1$ , $g(x) = x^4 + 2x^3 + x + 2$ ;       |
| 247. | Yevklid algoritmidan foydalanib, $f(x)$ va $g(x)$ ko'phadlar uchun shunday $\varphi(x)$ va $\psi(x)$ , ko'phadlarni topingki, $(f(x), g(x)) = f(x)\varphi(x) + g(x)\psi(x)$ : tenglik o'rinli bo'lsin.<br>$f(x) = 4x^4 - 2x^3 - 16x^2 + 5x + 9$ , $g(x) = 2x^3 - x^2 - 5x + 4$ ;         |
| 248. | Yevklid algoritmidan foydalanib, $f(x)$ va $g(x)$ ko'phadlar uchun shunday $\varphi(x)$ va $\psi(x)$ , ko'phadlarni topingki, $(f(x), g(x)) = f(x)\varphi(x) + g(x)\psi(x)$ : tenglik o'rinli bo'lsin.<br>$f(x) = 3x^3 - 2x^2 + x + 2$ , $g(x) = x^2 - x + 1$ ;                          |
| 249. | Yevklid algoritmidan foydalanib, $f(x)$ va $g(x)$ ko'phadlar uchun shunday $\varphi(x)$ va $\psi(x)$ , ko'phadlarni topingki, $(f(x), g(x)) = f(x)\varphi(x) + g(x)\psi(x)$ : tenglik o'rinli bo'lsin.<br>$f(x) = x^4 - x^3 - 4x^2 + 4x + 1$ , $g(x) = x^2 - x - 1$ ;                    |
|      | Yevklid algoritmidan foydalanib, $f(x)$ va $g(x)$ ko'phadlar uchun shunday $\varphi(x)$ va $\psi(x)$ , ko'phadlarni topingki, $(f(x), g(x)) = f(x)\varphi(x) + g(x)\psi(x)$ : tenglik o'rinli bo'lsin.<br>$f(x) = x^5 - 5x^4 - 2x^3 + 12x^2 - 2x + 12$ , $g(x) = x^3 - 5x^2 - 3x + 17$ . |
| 250. | Yevklid algoritmidan foydalanib, $f(x)$ va $g(x)$ ko'phadlar uchun shunday $\varphi(x)$ va $\psi(x)$ , ko'phadlarni topingki, $(f(x), g(x)) = f(x)\varphi(x) + g(x)\psi(x)$ : tenglik o'rinli bo'lsin.<br>$f(x) = x^4 + 2x^3 - x^2 - 4x - 2$ , $g(x) = x^4 + x^3 - x^2 - 2x - 2$ ;       |
| 251. | Yevklid algoritmidan foydalanib, $f(x)$ va $g(x)$ ko'phadlar uchun shunday $\varphi(x)$ va $\psi(x)$ , ko'phadlarni topingki, $(f(x), g(x)) = f(x)\varphi(x) + g(x)\psi(x)$ : tenglik o'rinli bo'lsin.<br>$f(x) = x^5 + 3x^4 + x^3 + x^2 + 3x + 1$ , $g(x) = x^4 + 2x^3 + x + 2$ ;       |
| 252. | Yevklid algoritmidan foydalanib, $f(x)$ va $g(x)$ ko'phadlar uchun shunday $\varphi(x)$ va $\psi(x)$ , ko'phadlarni topingki, $(f(x), g(x)) = f(x)\varphi(x) + g(x)\psi(x)$ : tenglik o'rinli bo'lsin.<br>$f(x) = 4x^4 - 2x^3 - 16x^2 + 5x + 9$ , $g(x) = 2x^3 - x^2 - 5x + 4$ ;         |
| 253. | Aniqmas koeffisiyentlar usuli bilan shunday $\varphi(x)$ va $\psi(x)$ ko'phadlarni tanlab olingki,<br>$f(x)\varphi(x) + g(x)\psi(x) = 1$ : tenglik o'rinli bo'lsin:<br>$f(x) = x^3$ , $g(x) = (1-x)^2$ ;   |
| 254. | Aniqmas koeffisiyentlar usuli bilan shunday $\varphi(x)$ va $\psi(x)$ ko'phadlarni tanlab olingki,<br>$f(x)\varphi(x) + g(x)\psi(x) = 1$ : tenglik o'rinli bo'lsin:<br>$f(x) = x^4 - 4x^3 + 1$ , $g(x) = x^3 - 3x^2 + 1$ .   |

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|      | Aniqmas koeffisiyentlar usuli bilan shunday $\varphi(x)$ va $\psi(x)$ ko'phadlarni tanlab olingki,<br>$f(x)\varphi(x) + g(x)\psi(x) = 1$ : tenglik o'rinli bo'lsin:<br>$f(x) = x^4, \quad g(x) = x^3 - 3x^2 + 4;$       |
| 255. | Aniqmas koeffisiyentlar usuli bilan shunday $\varphi(x)$ va $\psi(x)$ ko'phadlarni tanlab olingki,<br>$f(x)\varphi(x) + g(x)\psi(x) = 1$ : tenglik o'rinli bo'lsin:<br>$f(x) = x^3 + 3x + 3, \quad g(x) = x^2 - x - 2;$ |
| 257. | Ko'phadning ildizi.   |
| 258. | Bezu teoremasi. Gorner sxemasi.   |
| 259. | Karrali ildizlar.   |
| 260. | Gorner sxemasidan foydalanib $f(\alpha)$ , ni hisoblang:<br>$f(x) = x^4 - 3x^3 + 6x^2 - 10x + 16, \quad \alpha = 4;$  |
| 261. | Gorner sxemasidan foydalanib $f(\alpha)$ , ni hisoblang:<br>$f(x) = 5x^4 - 7x^3 + 8x^2 - 3x + 7, \quad \alpha = 3$  |
| 262. | Gorner sxemasidan foydalanib $f(\alpha)$ , ni hisoblang:<br>$f(x) = 2x^5 + 2x^4 - 3x^3 + 4x^2 - 6x + 5, \quad \alpha = -\frac{1}{2};$   |
| 263. | Gorner sxemasidan foydalanib $f(\alpha)$ , ni hisoblang:<br>$f(x) = x^5 + (1+2i)x^4 - (1+3i)x^2 + 7, \quad \alpha = -2-i;$  |
| 264. | Gorner sxemasidan foydalanib $f(\alpha)$ , ni hisoblang:<br>$f(x) = x^5 + (1-2i)x^4 - (3+i)x^2 + 7, \quad \alpha = -1+2i.$  |
| 265. | Gorner sxemasidan foydalanib $f(x)$ ko'phadni $x - \alpha$ ning darajalari bo'yicha yoying:<br>a) $f(x) = x^4 + 2x^3 - 3x^2 - 4x + 1, \quad \alpha = -1;$   |
| 266. | Gorner sxemasidan foydalanib $f(x)$ ko'phadni $x - \alpha$ ning darajalari bo'yicha yoying:<br>$f(x) = x^5, \quad \alpha = 1$   |
| 267. | Gorner sxemasidan foydalanib $f(x)$ ko'phadni $x - \alpha$ ning darajalari bo'yicha yoying:<br>$f(x) = x^4 - 8x^3 + 24x^2 - 50x + 90, \quad \alpha = 2;$  |
| 268. | Gorner sxemasidan foydalanib $f(x)$ ko'phadni $x - \alpha$ ning darajalari bo'yicha yoying:<br>$f(x) = x^4 + 2ix^3 - (1+i)x^2 - 3x + 7 + i, \quad \alpha = -i;$   |
| 269. | Gorner sxemasidan foydalanib $f(x)$ ko'phadni $x - \alpha$ ning darajalari bo'yicha yoying:<br>$f(x) = x^4 + (3-8i)x^3 - (21+18i)x^2 - (33-20i)x + 7 + 18i, \quad \alpha = -1+2i.$                                      |
| 270. | Gorner sxemasidan foydalanib $x$ ning darajalari bo'yicha yoying:<br>$f(x+3), \quad f(x) = x^4 - x^3 + 1;$  |
| 271. | Gorner sxemasidan foydalanib $x$ ning darajalari bo'yicha yoying:<br>$f(x+2), \quad f(x) = 2x^4 - 3x^3 + 5x^2 + 6x - 1;$  |
| 272. | Gorner sxemasidan foydalanib $x$ ning darajalari bo'yicha yoying:<br>$f(x) = (x-2)^4 + 4(x-2)^3 + 6(x-2)^2 + 10(x-2) + 20;$   |

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| 273. | Gorner sxemasidan foydalanib $x$ ning darajalari bo'yicha yoying:<br>$f(x) = (x+3)^5 - 2(x+3)^3 + 3(x+3)^2 + 7(x+3) - 8.$   |
| 274. | Quyida berilgan $A$ to'plamning elementlarini aniqlang.<br>$A = \{x \in Z : (x-6)(x^2 - 4) = 0, \quad x \geq 0\}$   |
| 275. | Quyida berilgan $A$ to'plamning elementlarini aniqlang.<br>$A = \{x \in R : x^3 - 5x^2 + 6x = 0\}$  |
| 276. | Quyida berilgan $A$ to'plamning elementlarini aniqlang.<br>$A = \{x \in R : x + \frac{1}{x} \leq 2, \quad x > 0\}$  |
| 277. | Quyida berilgan $A$ to'plamning elementlarini aniqlang.<br>$A = \{x \in N : x^2 - 5x - 6 \leq 0\}$  |
| 278. | Quyida berilgan $A$ to'plamning elementlarini aniqlang.<br>$A = \{x \in R : \cos^2 2x = 1, \quad 0 < x \leq 2\pi\}$   |
| 279. | Quyida berilgan to'plamlarni koordinatalar tekisligida tasvirlang. $\{(x, y) \in R^2 : x + 3y - 6 = 0\}.$   |
| 280. | Quyida berilgan to'plamlarni koordinatalar tekisligida tasvirlang. $\{(x, y) \in R^2 : x^2 + y^2 \leq 4\}.$   |
| 281. | Quyida berilgan to'plamlarni koordinatalar tekisligida tasvirlang. $\{(x, y) \in R^2 : (x^2 - 1) \cdot (y + 2) = 0\}.$  |
| 282. | Quyida berilgan to'plamlarni koordinatalar tekisligida tasvirlang.<br>$\{(x, y) \in R^2 : y > \sqrt{2x+1}, \quad 2x+1 \geq 0\}.$  |
| 283. | Quyida berilgan to'plamlarni koordinatalar tekisligida tasvirlang. $\left\{(x, y) \in R^2 : \frac{1}{x} > \frac{1}{y}, \quad x \neq 0, \quad y \neq 0\right\}.$   |
| 284. | Quyida berilgan to'plamlarni koordinatalar tekisligida tasvirlang. $\{(x, y) \in R^2 : y^2 > 2x + 1\}.$   |
| 285. | Quyidagi berilgan $A$ va $B$ to'plamlarga ko'ra $A \cup B$ , $A \cap B$ , $A \setminus B$ , $B \setminus A$ to'plamlarni toping.)<br>$A = \{x \in R : x^2 + x - 20 = 0\}, \quad B = \{x \in R : x^2 - 7x + 12 = 0\}$                  |
| 286. | Quyidagi berilgan $A$ va $B$ to'plamlarga ko'ra $A \cup B$ , $A \cap B$ , $A \setminus B$ , $B \setminus A$ to'plamlarni toping.<br>$A = \{x \in R : -2 \leq x \leq 3\} = [-2; 3], \quad B = \{x \in R : 1 \leq x \leq 4\} = [1; 4].$ |
| 287. | Quyidagi berilgan $A$ va $B$ to'plamlarga ko'ra $A \cup B$ , $A \cap B$ , $A \setminus B$ , $B \setminus A$ to'plamlarni toping.<br>$A = \{x \in N : x^2 - 4x \leq 0\}, \quad B = \{x \in Z : x^2 - x - 6 \leq 0\}.$                  |
| 288. | To'plamlar ustida amallar   |
| 289. | To'plam tushunchasi.  |
| 290. | Qism to'plamlar.  |
| 291. | Venn diagrammasi  |